

Chiral Nuclear Dynamics II

From Quarks to Nuclei
to Compact Stars

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A diagrammatic illustration on a white background. A red circle is positioned at the end of a blue double-line structure that extends from the top left towards the bottom right. Three yellow arrows point away from the red circle: one upwards and to the left, one downwards and to the left, and one downwards and to the right. A red line segment is visible on the far left edge. The bottom of the page is a dark grey curved band.

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